

Selecting an Optimiser

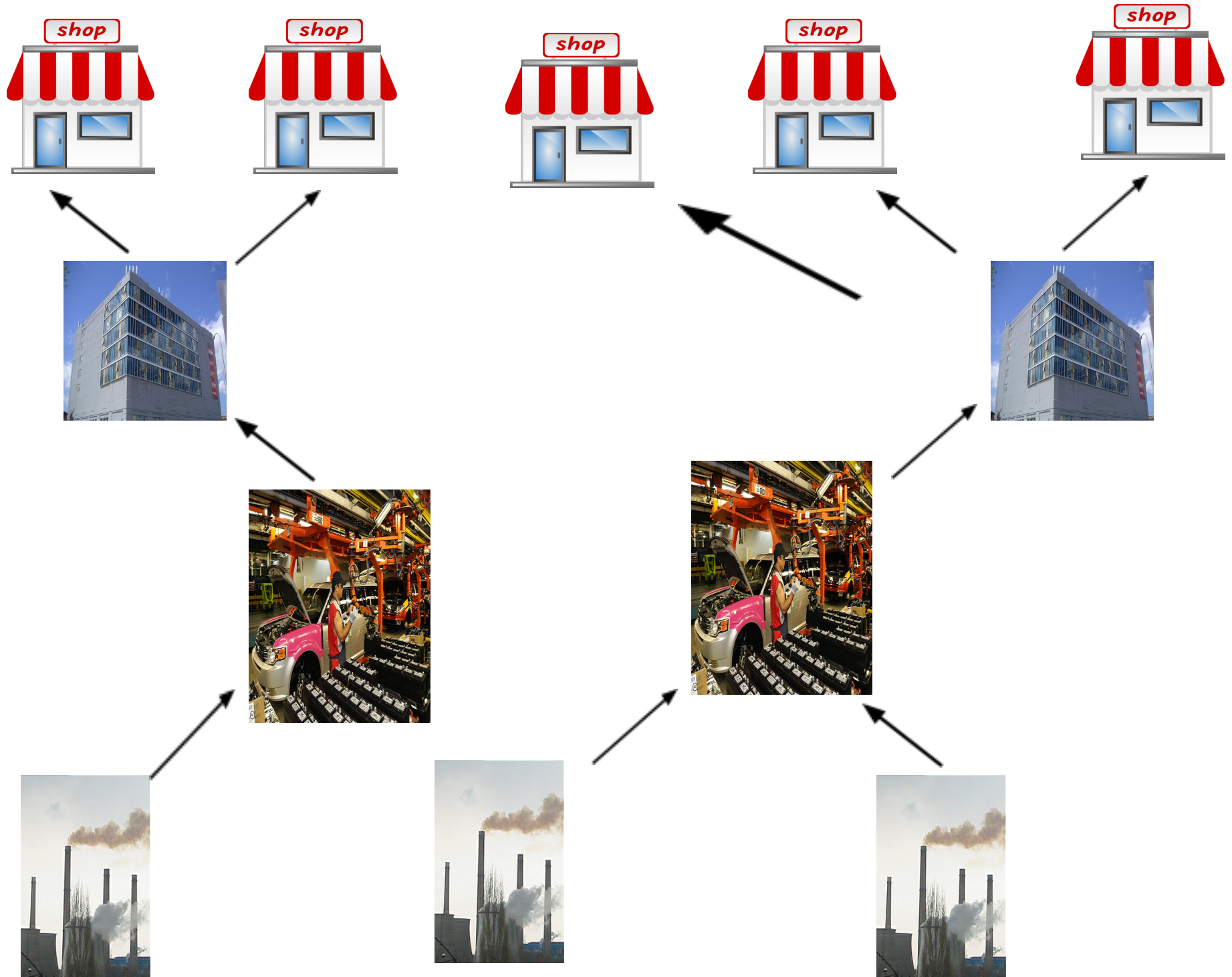
for a multinational supply
chain - real world case study

Eddy Parkinson

Multi-National Supply Chain

Customers in China/USA/Australia etc





- Exchange Rates
- Import Tax
- Transport Costs
- Factory Costs
- Warehouse Costs
- 12 Month Plan

Meta-Heuristic or Solver ?



Solver

Generation Language

1 GL	Machine code
2 GL	Assembler
3 GL	C++, Java, BASIC
4 GL	SQL, PHP
5 GL	Prolog, Solvers

Order of magnitude improvements

2 GL

Software Libraries (Code reuse)

3 GL

4 GL

5 GL

Developer GUI tools

Meta-heuristics & old innovations

	Meta-heuristics	Solvers
2 GL		
Software Libraries (Code reuse)	✓	
3 GL	✓	
4 GL		
5 GL		✓
Developer GUI tools		✓

2 Issues

VRPTW with a Solver

	A	B	C	D	E	F	G	H	I	J	K	L	M	N	O	P			
1	Vehicle Routing Problem with Time Windows																		
2																			
3					Customer:	100													
4																			
5					Total Distance:	1406.05													
6					Late deliveries:	70													
7					Vehicles:	23													
8																			
9																			
10					Distance		16.9706	18	12.083	13.1529	5.65685	12.0416	12.6491	10	11.1803	6.7			
11																			
12					Vehicle	Arrival Time	0	18	62.083	75.236	80.8928	92.9344	105.584	115.584	126.764	168			
13						Depart Time	0	50	62.083	75.236	80.8928	92.9344	105.584	115.584	162	168			
14																			
15					Customer	Open	0	50	31	69	32	91	94	76	162				
16						Close	230	60	41	79	42	101	104	86	172				
17																			
18						Late if 1	0	0	1	0	1	0	1	1	0				
19																			
20																			
21					Visit Number		1	2	3	4	5	6	7	8	9				
22					Customer IDs - Unique Integers		0	2	42	44	14	85	86	61	60				
23																			
24																			
25																			
26																			
27						Open Time	0	161	50	116	149	34	99	81	95				
28						Close Time	230	171	60	126	159	44	109	91	105				
29							0	1	2	3	4	5	6	7	8				
30					Open Time	Close Time	x												
31						y													
32					0	230	0	35	35	0	15.2315	18	22.3607	25	20.6155	11.1803	21.2132	26.2488	32.0

Objective: Minimize

Constrain to: 0

Objective: Minimize

Variables: Unique Integers between 1-110

IBM ILOG CPLEX Optimization Studio

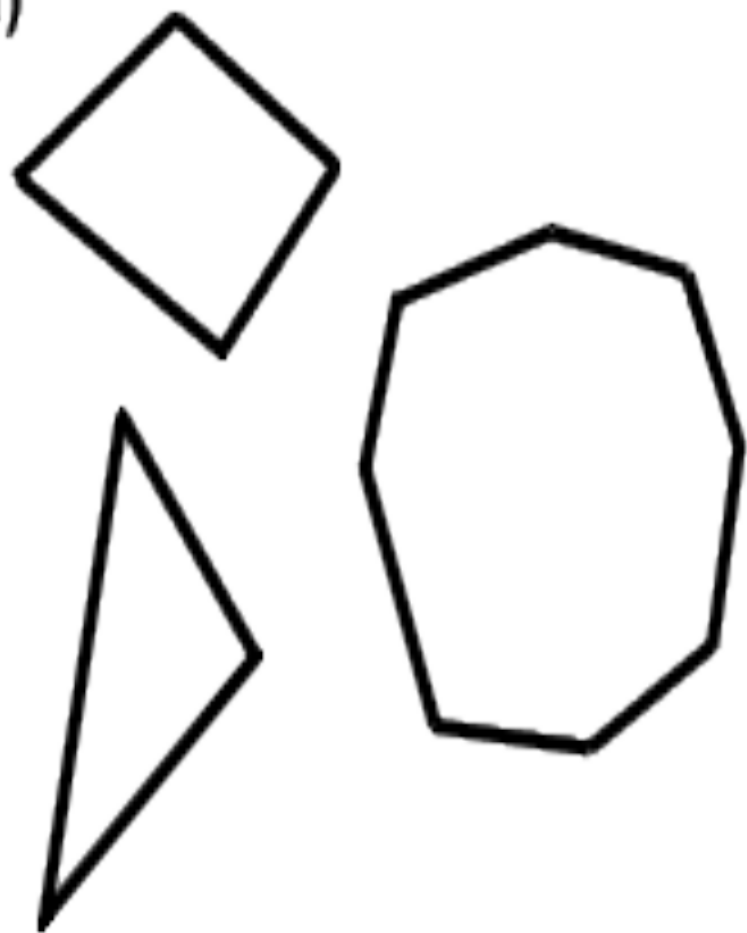
File Edit Navigate Search Run Window Help

warehouse.mod warehouseCplexFilters.mod warehouse.dat scalableWarehouse.mod Academic

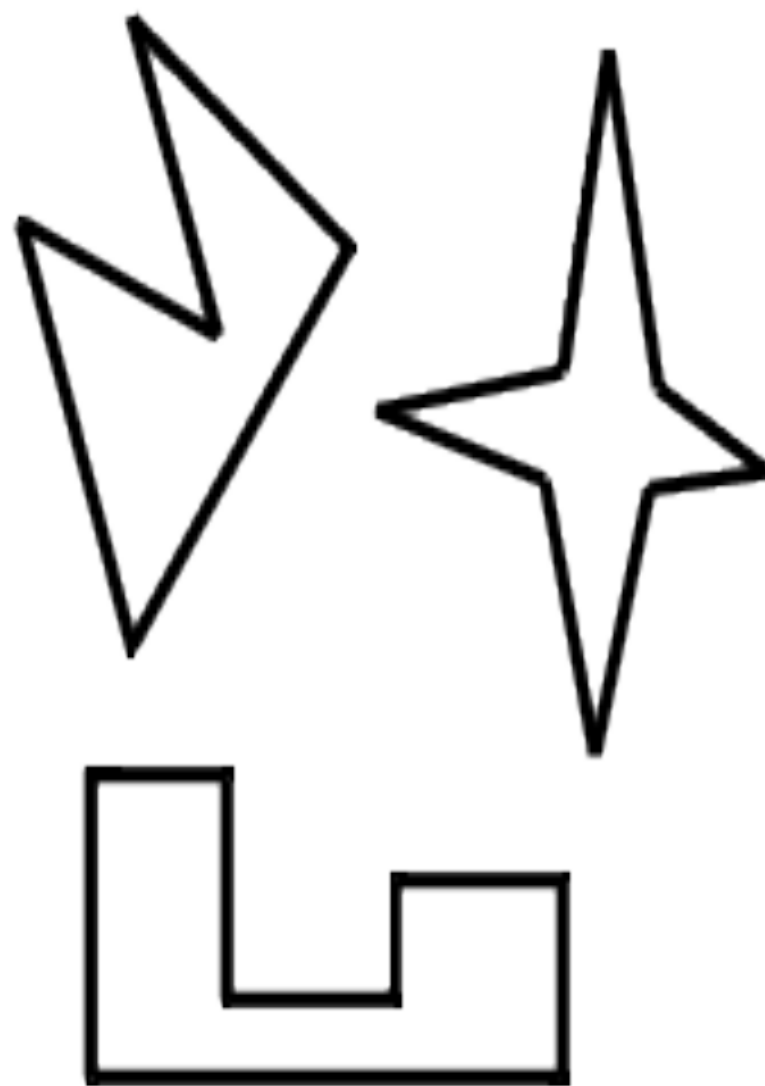
```
14// The resulting size is greater than the size allowed in trial mode.
15// Therefore, you need a valid license to run this example.
16// See the Licensing Scheme document for details.
17int Fixed = 30;
18int NbWarehouses = 50;
19int NbStores = 100;
20assert( NbStores > NbWarehouses );
21
22range Warehouses = 1..NbWarehouses;
23range Stores = 1..NbStores;
24int Capacity[w in Warehouses] =
25  NbStores div NbWarehouses +
26  w % ( NbStores div NbWarehouses );
27int SupplyCost[s in Stores][w in Warehouses] =
28  1 + ( ( s + 10 * w ) % 100 );
29
30
31dvar boolean Open[Warehouses];
32dvar float Supply[Stores][Warehouses] in 0..1;
33dexpr int TotalFixedCost = sum( w in Warehouses ) Fixed * Open[w];
34dexpr float TotalSupplyCost = sum( w in Warehouses, s in Stores ) SupplyCost[s][w] * Supply[s][w];
35// define a range filter applied to solution pools
36execute {
37  var vars = new Array();
38  var coefs = new Array();
39  for (var w in Warehouses) {
40    vars[w-1] = Open[w];
41    coefs[w-1] = 1;
42  }
43  cplex.addRangeFilter(30, 43, vars, coefs);
44}
45minimize TotalFixedCost + TotalSupplyCost;
46subject to {
47  forall( s in Stores )
48    ctStoreHasOneWarehouse:
49      sum( w in Warehouses )
50        Supply[s][w] == 1;
51  forall( w in Warehouses )
52    ctOpen:
53      sum( s in Stores )
54        Supply[s][w] <= Open[w] * Capacity[w];
55}
56
57
```

Writable Insert 55:2 00:00:00

a)



b)



Meta-Heuristic

OR

Solver ?



	A	B	C	D	E	F	G	H	I	J	K	L	M	N	O	P
1																
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Vehicle Routing Problem with Time Windows

Customer: 100
Total Distance: 1406.05
Late deliveries: 70
Vehicles: 23

Objective: Minimize
Constrain to: 0
Objective: Minimize

Distance: 16.9706, 18, 12.083, 13.1529, 5.65685, 12.0416, 12.6491, 10, 11.1803, 6.1

Vehicle: Arrival Time, Depart Time

Customer: Open, Close, Late if 1

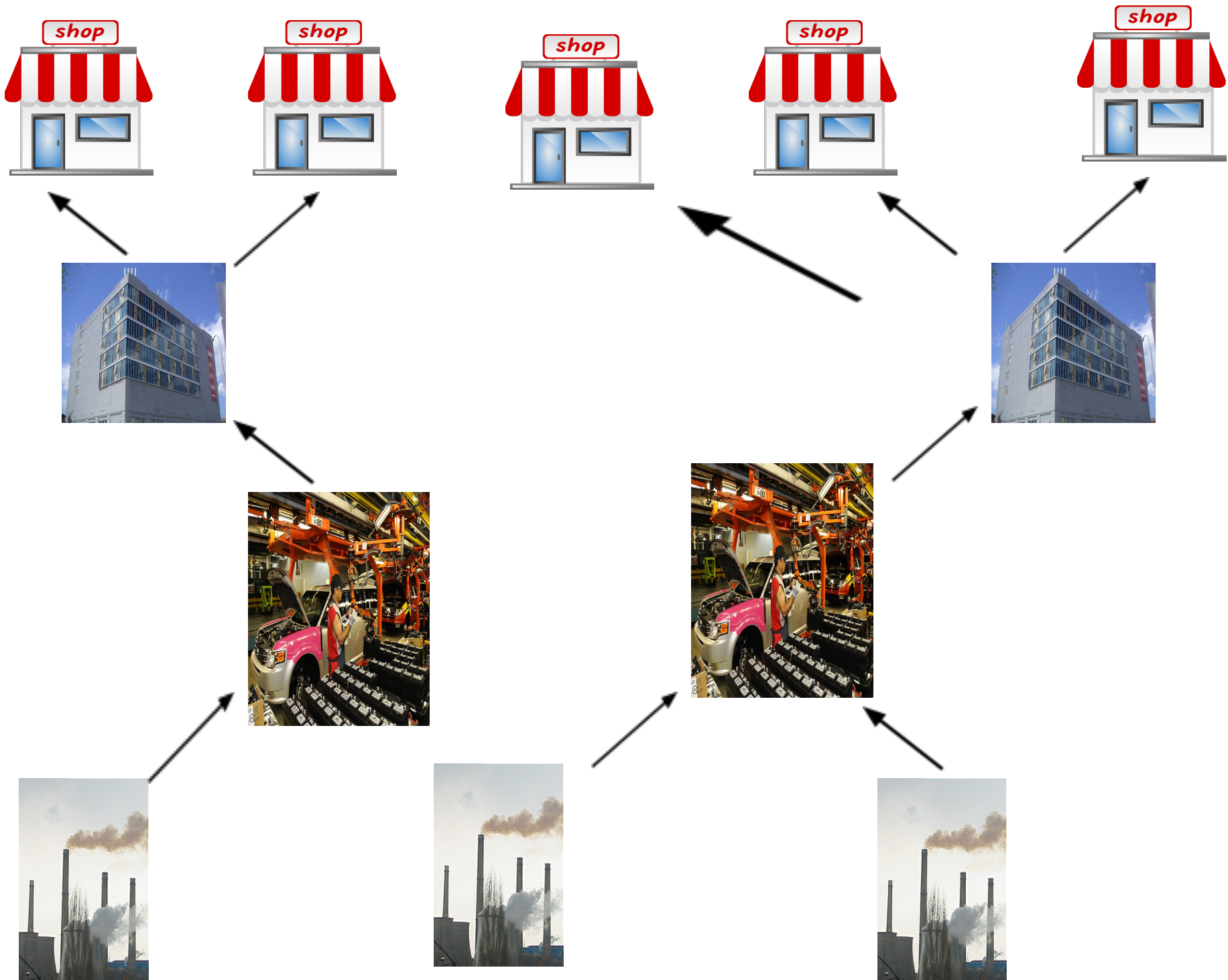
Visit Number: 1, 2, 3, 4, 5, 6, 7, 8, 9

Customer IDs - Unique Integers: 0, 2, 42, 44, 14, 85, 86, 61, 60

Variables: Unique Integers between 1-110

Open Time, Close Time

Open Time, Close Time, x, y



Constraints

72						
73						
74	Constraints					
75	Store has warehouse	Demand		Supply		
76	Store 1	15	=	15		
77	Store 2	30	=	30		
78	Store 3	24	=	24		
79	Store 4	24	=	24		
80	Store 5	18	=	18		
81	Store 6	5	=	5		
82	Store 7	12	=	12		
83	Store 8	31	=	31		
84	Store 9	5	=	5		
85	Store 10	12	=	12		
86						
87	Supplied warehouses cou	79	40	15	0	42
88		<=	<=	<=	=<=	<=
89	Max Capacity	120	70	90	0	80
90						
91						

	B	C	D	E	F	G	H	I	J	K	L	M	N	O	P	Q	R	S	T	U
1			Demand			Delivered Volume (warehouse demand)						To customer				Qty, Assembly to Warehouse	To Warehouse			
2			Customers			Warehouse						Economies of Scale				Warehouse				Economies of Scale
3	Products	Time	E1	E2		W1	W2		Products	Time					Assembly	W1	W2			
4	J1	T1	200	300		250	330		J1	T1	W1	High	Mid		A1	250	0		High	-
5	J1	T2	220	330		280	220		J1	T1	W2	-	High		A2	0	330		-	High
6	J1	T3	250	340		220	360		J1	T2	W1	High	Mid		A1	280	-9.7E-09		High	-
7	J1	T4	200	300		300	180		J1	T2	W2	-	High		A2	0	220		-	High
8			200	300		250	330		J2	T1	W1	High	-		A1	250	0		High	-
9			220	330		280	220		J2	T1	W2	-	High		A2	0	570		-	High
10			250	340		220	360		J2	T2	W1	High	-		A1	270	9.69E-09		High	-
11			200	300		300	180		J2	T2	W2	-	High		A2	0	180		-	High
12			200	300		250	330		J1	T3	W1	High	-		A1	220	0		High	-
13			220	330		280	220		J1	T3	W2	-	High		A2	0	360		-	High
14			250	340		220	360		J1	T4	W1	High	High		A1	300	0		High	-
15			200	300		300	180		J1	T4	W2	-	High		A2	0	180		-	High
16			250	350		250	570		J2	T3	W1	High	-		A1	290	0		High	-
17			270	400		270	180		J2	T3	W2	-	High		A2	0	530		-	High
18			290	400		290	530		J2	T4	W1	High	-		A1	250	0		High	-
19			250	350		250	220		J2	T4	W2	-	High		A2	0	220		-	High
20			250	350		250	570		J1	T5	W1	High	Mid		A1	250	0		High	-
21			270	400		270	180		J1	T5	W2	-	High		A2	0	330		-	High
22			290	400		290	530		J1	T6	W1	High	Mid		A1	280	-9.8E-09		High	-
23			250	350		250	220		J1	T6	W2	-	High		A2	0	220		-	High
24			250	350		250	570		J2	T5	W1	High	-		A1	250	0		High	-
25			270	400		270	180		J2	T5	W2	-	High		A2	0	570		-	High
26			290	400		290	530		J2	T6	W1	High	-		A1	270	9.78E-09		High	-
27			250	350		250	220		J2	T6	W2	-	High		A2	0	180		-	High
28									J1	T7	W1	High	-		A1	220	0		High	-
29									J1	T7	W2	-	High		A2	0	360		-	High
30									J1	T8	W1	High	High		A1	300	0		High	-
31									J1	T8	W2	-	High		A2	0	180		-	High
32									J2	T7	W1	High	-		A1	290	0		High	-
33									J2	T7	W2	-	High		A2	0	530		-	High
34									J2	T8	W1	High	-		A1	250	0		High	-
35									J2	T8	W2	-	High		A2	0	220		-	High
36									J1	T9	W1	High	Mid		A1	250	0		High	-
37									J1	T9	W2	-	High		A2	0	330		-	High
38									J1	T10	W1	High	Mid		A1	280	-5.7E-11		High	-
39									J1	T10	W2	-	High		A2	0	220		-	High
40									J2	T9	W1	High	-		A1	250	0		High	-
41									J2	T9	W2	-	High		A2	0	570		-	High
42									J2	T10	W1	High	-		A1	270	4.49E-11		High	-

Model Information

Model Information | Model Parameters | Advanced Parameter

Objective Function: \$8565

Objective Sense: Minimization Maximization Specified Value: 0

Variables: <new>

Variable Information: Lower Bound: 0, Upper Bound: []

Variable: []

Integral Binary

Add Variable | Remove Variable | Update Variable

Constraints: <new>

Constraint Information: Lower Bound: [], Upper Bound: [], Constraint: []

Add Constraint | Remove Constraint | Update Constraint

Run | Save | Cancel | Reset | Help

Google: [Spreadsheet Analytics](#)

- *Premium Solver, Premium Solver Platform, RiskSolver Platform* by Frontline Systems
- *Evolver* by Palisade Corporation
- *Generator* by New Light Industries
- *OptWorks* by SpaceWorks Software
- *Solve XL* by Diapason Consulting
- *GANetXL* by University of Exeter
- *GeneHunter* by Ward Systems
-

Questions ?

- Exchange Rates
- Import Tax
- Transport Costs
- Factory Costs
- Warehouse Costs
- 12 Month Plan

